ETW Branes and Inflationary Predictions

for Rocky and Swampy Landscapes

Arthur Hebecker (Heidelberg)

based on work with Bjoern Friedrich, Alexander Westphal and Sebastian Zell (cf. also earlier work with Friedrich/Walcher/Salmhofer/Strauss) Outline

- The Measure Problem ist still there! How is it affected by the 'Swampland Revolution'?
- Our attempt to define an explicit, usable measure: 'Local Wheeler-DeWitt Measure'
- Input from 'Rocky Landscapes': KKLT, LVS etc.
- Input from 'Swampy Landscapes': maybe no (long-lived) dS, Cobordism.
- Towards a prediction for the scale of inflation.

Introduction/Motivation

- Generically: Many vacua / Multiverse ⇒ Measure Problem. Linde/Mezhlumian '93
- Concretely: Flux Landscape; "10⁵⁰⁰ vacua"
 ⇒ Measure Problem goes center stage.
 Bousso/Polchinski '00, Denef/Douglas '04,

- With KKLT/LVS under pressure, the (flux) landscape does not go away.
- Even if only slow-roll (or short-lived dS) exist...need a method to 'predict' our 'vacuum'

Key new 'swampland' input:

- Maybe no (multitude of) long-lived dS; Maybe instead mostly/only slow-roll.
- Cobordism Conjecture ⇒ End-of-the-World Branes abundant These ETW branes can be key players in 'Creation from Nothing'. (to be quantified below)

Preliminary illustration:



Measure problem and potentially decisive role of creation processes

 Standard view: Different vacua → different patches in 'global dS multiverse'. Measure problem ≡ problem of cutoff choice.



Based on the 'Cosmological Central Dogma',

we want to argue for a more Banks '01, Susskind '21 fundamental, quantum-mechanical measure.

Friedrich/AH/Salmhofer/Strauss/Walcher '22, Friedrich/AH/Westphal/Zell - to appear

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Towards a 'Quantum-Measure'

• Cosmological Central Dogma:

dS space is a finite system with $\dim(\mathcal{H}) = e^{S}$.

- Eternal Inflation \equiv Series of transitons between different subspaces (with dim $(\mathcal{H}_i) = e^{S_i}$).
- Even better: Write down corresponding Wheeler-DeWitt equation:

 $H\psi = \chi$

• Crucially, a source term for the creation from nothing is unavoidable.



The 'Local Wheeler-DeWitt Measure'

Friedrich/AH/Salmhofer/Strauss/Walcher '22, Friedrich/AH/Westphal/Zell - to appear

- Formally, we have $H\psi = \chi$, with the probability for vacuum dS_i given by $p_i = ||\psi|_i||^2$.
- In practice, this reduces to rate equations for a 'flow through the landscape':



The outcome is similar to certain 'local measures': Bousso '06, Garriga/Vilenkin.. '05...'11, Nomura '11, Bousso/Susskind '11, Hartle/Hertog '16 'Local Wheeler-DeWitt Measure' (continued)

- Denote the sources by J_i and the decay rates by $\Gamma_{i \rightarrow j}$.
- Then the relevant rate equations read

$$J_{i} = \sum_{j \in dS} \left(p_{i} \Gamma_{i \rightarrow j} - p_{j} \Gamma_{j \rightarrow i} \right) + p_{i} \sum_{y \in Terminal} \Gamma_{i \rightarrow y} .$$

• The solution can be given as a series:

$$p_i = \frac{1}{\Gamma_i} \left\{ J_i + \sum_j J_j \frac{\Gamma_{j \to i}}{\Gamma_j} + \sum_{j,k} J_j \frac{\Gamma_{j \to k}}{\Gamma_j} \frac{\Gamma_{k \to i}}{\Gamma_k} + \cdots \right\}$$

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(Here Γ_i is the total decay rate of vaccum *i*.)

A conceptual problem: Reheating to Minkowski

- As long as there are only dS and AdS vacua (and a non-zero rate for creation from nothing), finiteness is obvious.
- There is a sensitivity to the number of observers on the horizon-sized patch of the reheating surface.
 But we ignore this (non-exponential!) effect.
- However, this changes once we include Minkowski-bubbles:



Now we have no reason to cut off the reheating surface at horizon size. Technically, the projection $\|\psi|_i\|^2$ can be infinite.

First Aside:

• One might think that this problem problem also arises for reheating in an AdS bubble. After all, $\dim(\mathcal{H}_{AdS}) = \infty$ and the reheating surface is infinitely large:



• However, we believe this can be dismissed because the future singularity ensures that there is no infinity in any causally connected region.

Second Aside:

- Maybe the problem is absent because there can be no observers on a Minkowski-space reheating surface (e.g. due to $\mathcal{N} = 2$ SUSY).
- However, even though Minkowski bubbles as such are in this case harmless, bubble collisions are not!



 What is worse: The observer-infinity in Minkowski depends on fine details of bubble-dynamics. Kleban '11, Freivogel '11

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Our proposal:

• Appeal to an 'Effective CCD', based on the similarity of the reheating surfaces in dS and Minkowski:



- In essence, we claim that even in Minkowski only a finite portion of the surface ($\sim 1/H_{\rm reh}^3$) is independent.
- Finiteness is then regained even in in the presence of bubbles with Minkowski-space reheating.

Alternative possibility:

- We could try to take the infinity of Minkowski-space reheating surfaces seriously (no redundancy).
- This would imply a key prediction: The dark energy in our universe will decay our future is Minkowski space.

A Footnote:

If no Minkowski-space reheating surfaces with observers exist in the landscape/multiverse, then collision rates with Minkowski bubbles determine the most likely vacuum.

... unsatisfactory....?

For now, we will use the 'Effective CCD' logic

Towards explicit predictions

- We need creation/decay rates.
- In contrast to volume-weighted measures, our local measure crucially depends on creation rates. So let's start from those:



[Cf. recent discussion of 'Bubble of Something' for String Landscape in Friedrich/AH/Walcher '23. Also, much recent work on inverse 'Bubble of Nothing' process: Garcia-Etxebarria/Montero/Sousa/Valenzuela, Draper et al., Angius/Calderon-Infante/Delgado/Huertas/Uranga,]

Creation Rates







'No-Boundary'

'Bubble-of-Something' 'Boundary proposal'

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- A key question for all three processes is the sign in the exponent of the rate: $J \sim exp(\pm S)$ ('LV vs. HH')
- Illustration of our (subjective, inconclusive) view:





- The (by definition real) HH version describes a 'ground state of the universe'. Maybe not suitable for 'creation rates'?
- Also, in strong tension with observation.

as recently quantified in Maldacena '24

- By contrast, the LV sign choice suffers from a 'matter-instability'. This may remove the exponential suppression.
- For the time being, we will remain open to both sign choices.

• Thus we have: $J \sim exp(\pm S)$ with:



 \Rightarrow For LV, the 'bos'/'b' creation processes always dominate over 'nb' when the pos./neg.-tension ETW branes exist.

Another key concern:

• Small torus dS universes can expand from zero size without any potential barrier.

 \Rightarrow no exponential suppression.

Zeldovich/Starobinsky '84, Coule/Martin '99, Linde '04

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- All dS vacua equally likely to be created (?)
- This 'creation with non-trivial topology' deserves much more attention!

Next step toward predictions:

Transition rates
$$(\Gamma \sim \exp(-B))$$

Here only brief summary (see paper for more). We are building on KKLT/LVS-type flux vacua, but the conclusions look generic....

(1) Decay of the uplift / Decay by SUSY restoration:

 $B \sim T^4/(\Delta V)^2$ (field theory regime, very fast)

(2) Decay to decompactification:

 $B \sim S_f - \mathcal{O}(1)S_f$ (much slower)

(3) Flux transitions:

 $B \sim S_f - M_P^6/T^2$ (almost maximally suppressed)

Key conclusion:

 $\frac{\sum_{k\in\mathrm{dS}}\mathsf{\Gamma}_{j\to k}}{\mathsf{\Gamma}_i}\ll 1$

(Transiting to any other dS is much less likely then terminal decay.)

- \Rightarrow Our solution-series converges fast.
- ⇒ May restrict attention to direct creation from nothing or creation from nothing plus one tunnelling event. (i.e. only one or two step processes are relevant.)

Towards explicit predictions:

- Focus on observers on post-inflationary reheating surfaces (like us).
- Include inflationary plateaus as (short-lived) dS vacua 'inf(i)', decaying to vacuum i.

$$\Rightarrow \text{ Key formula:} \qquad p_{\inf(i)} \simeq \frac{1}{\Gamma_{\inf(i)}} \left(J_{\inf(i)} + \sum_{o \neq \inf(i)} J_o \frac{\Gamma_{o \to \inf(i)}}{\Gamma_o} \right)$$

- Question 1: Does direct production (first term) or one-step tunnelling (second term) dominate?
- Question 2: What does this imply for the probability of 'observing' (in our past) a high- or low-scale inflationary plateau? (for earlier analyses of this, cf. Pedro/Westphal '13)
- Our paper gives a detailed discussion of the answer, depending on various assumptions (see above....).
- Here, only one 'example answer':

Let's accept the LV sign, assume slow-roll vacua with high-tension ETW-branes exist \Rightarrow Bubbles of something win! (Energy scale of Inflation determined by available ETW branes!)

Summary / Conclusions

- Predictions in any landscape (swampy or rocky) need a measure. I argued that, in a proper quantum approach, this is sensitive to 'Creation from Nothing'.
- Given the Cobordism Conjecture, a key ingredient in these creation events are ETW branes, allowing for 'BOS's or 'boundary processes'
- A key complication of the advertised 'local WDW measure' are Minkowski-space reheating surfaces. (We suggested how to proceed, but this may not be final.)
- We derived simple equations giving explicit predictions, e.g. for the scale of inflation. But input is missing, including crucially :

ETW branes – tensions and availability? Creation of small tori?